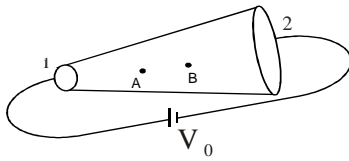


Situation:- Suppose a current carrying metal wire has a cross section area that gradually becomes larger along the wire, so that the wire has a shape of a very long cone



- The electric current through face 1 is
 (A) same as face 2 (B) lesser than face 2
 (C) greater than face 2 (D) None.
- The electric current density at face 1 is
 (A) same as face 2 (B) lesser than face 2
 (C) greater than face 2 (D) None.
- If resistivity at A is \dots_A and at the point B is \dots_B .
 (A) $\dots_A = \dots_B$ (B) $\dots_A > \dots_B$ (C) $\dots_A < \dots_B$ (D) None.
- If the conductivity at A is \dagger_A and at B is \dagger_B . Then
 (A) $\dagger_A = \dagger_B$ (B) $\dagger_A > \dagger_B$ (C) $\dagger_A < \dagger_B$ (D) None.
- If electric field at A is E_A and that of B is E_B . Then
 (A) $E_A = E_B$ (B) $E_A = E_B = 0$
 (C) $E_A > E_B$ (D) $E_A < E_B$
- The drift speed at A is V_A and that of at point B is V_B . Then
 (A) $V_A = V_B$ (B) $V_A > V_B$ (C) $V_A < V_B$ (D) None.
- The electric potential of A is V_A and that of B is V_B . Then
 (A) $V_A = V_B$ (B) $V_A > V_B$ (C) $V_A < V_B$ (D) None.

Situation:- Two charges, each equal to q , are kept at $x = -a$ and $x = a$ on the x - axis. A particle of mass m and charge $q_0 = q/2$ is placed at the origin.

- The charge q_0 is given a small displacement x ($\ll a$) along the x - axis and then released. The restoring force acting on q_0 is ($k = 1/(4\pi\epsilon_0)$)

(A) $-\left(\frac{kq^2}{a^3}\right)x$ (B) $-\left(\frac{2kq^2}{a^3}\right)x$
 (C) $\left(\frac{kq^2}{a^2}\right)x$ (D) $\left(\frac{2kq^2}{a^2}\right)x$

- In Q.25 the time period of oscillation of the particle is

(A) $T = 2\pi \left(\frac{ma^3}{2kq^2}\right)^{1/2}$ (B) $T = 2\pi \left(\frac{ma^3}{kq^2}\right)^{1/2}$
 (C) $T = 2\pi \left(\frac{2kq^2}{ma^3}\right)^{1/2}$ (D) $T = 2\pi \left(\frac{kq^2}{ma^3}\right)^{1/2}$

- If charge q_0 is given a small displacement y ($\ll a$) along the y - axis, the net force acting on the particle is proportional to
 (A) y (B) $-y$ (C) $1/y$ (D) $-(1/y)$
- In Q. 27, the particle,
 (A) will execute simple harmonic motion.
 (B) will execute oscillatory but not simple harmonic motion
 (C) will execute a non-periodic and non-oscillatory motion
 (D) will never come back to $x = 0$.